# On a Model Description for Normal Operators of $D_{\kappa}^{+}$-Class in Krein Spaces 

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In this work a functional model representation of a normal operator $N$ acting in a Krein space is considered. We assume that $N$ and its adjoint operator $N^{\#}$ have a common invariant subspace $L_{+}$which is a maximal nonnegative subspace and has a representation as a sum of a finite-dimensional neutral subspace and a uniformly positive subspace (i.e. $N$ belomgs to so-called $D_{\kappa}^{+}$ -class). For $N$ we construct a model representation as the multiplication operator by a scalar function acting in a suitable functional space. This representation is applied to an existence problem of a square root for the operator $N^{\#} N$ and another problems related to the polar representation for normal operators of $D_{\kappa}^{+}$-class.

